

# Traction Control Design and Integration Onboard the Mars Science Laboratory Curiosity Rover

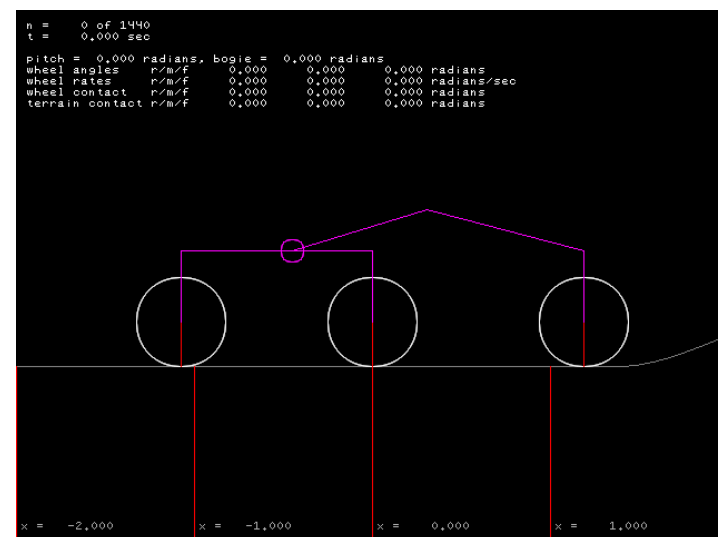
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- **State-of-practice:** control wheels assuming flat terrain
- **Goal:** control wheels to account for undulated & rocky terrain
- **Why?** To reduce slip in order to:
  - Minimize wheel wear
  - Reduce sinkage in sand
  - Reduce energy consumption
  - Minimize rover deviation from its planned path



# Technical Approach: Modelling the Problem

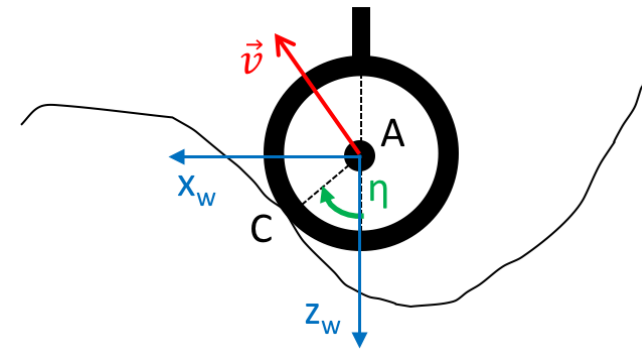
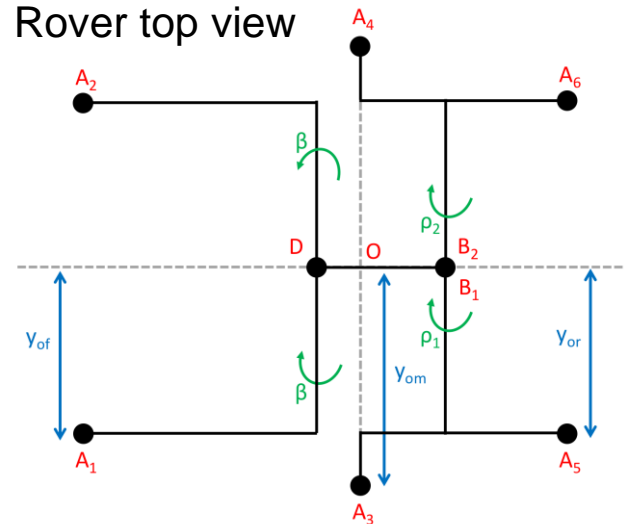


- Rover modelled as an articulated system of rigid bodies

## Legend:

rk<sub>1/2</sub>: left / right rocker  
Bg<sub>1/2</sub>: left / right bogie  
bd: rover body frame  
O: rover origin  
D: differential joint  
B<sub>1,2</sub>: left/right bogie joint  
A<sub>i</sub>: center of wheel i  
 $v$ : velocity  
 $\omega$ : angular rate

Rover top view

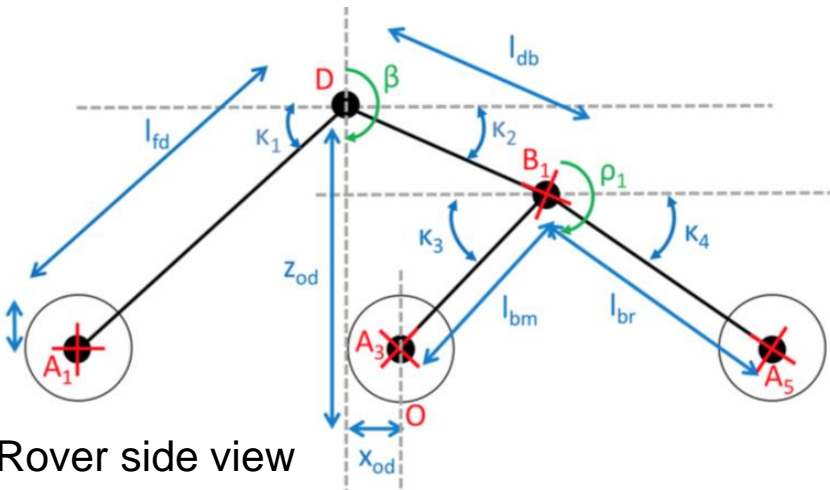


Wheel-ground contact modelled as a **single point** without loss of generality

## Key kinematic relationship:

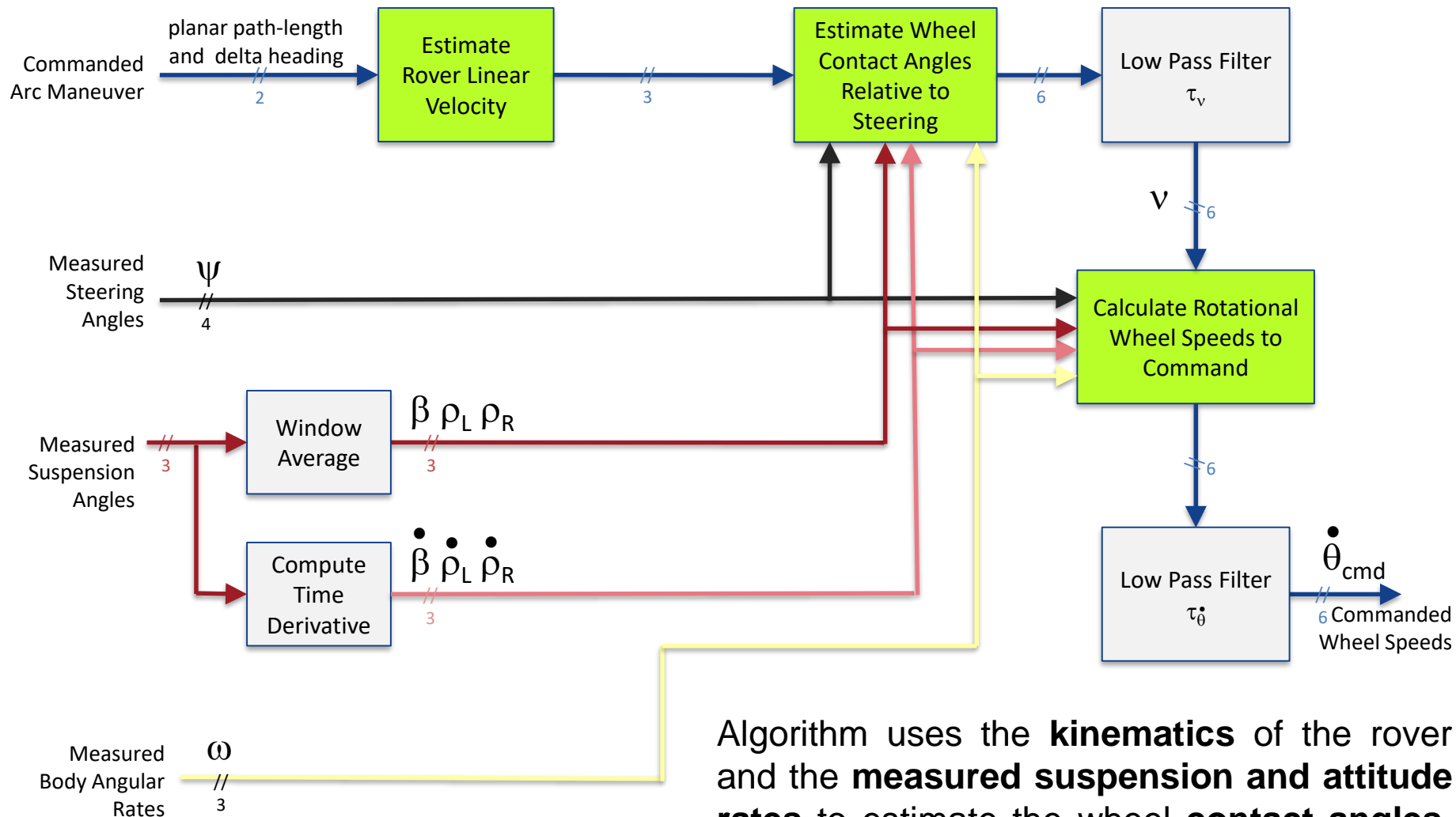
$${}^F\vec{v}_A = {}^F\vec{v}_B + {}^F\vec{\omega} \times {}^F\vec{BA}$$

Used to **relate the wheels linear velocities** to the **rover origin's linear velocity**, the **attitude and suspension rates**, and the **rover geometry**



Rover side view

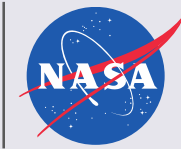
# Technical Approach: Functional Block Diagram



Algorithm uses the **kinematics** of the rover and the **measured suspension and attitude rates** to estimate the wheel **contact angles**, and then compute the **no-slip wheel rates**

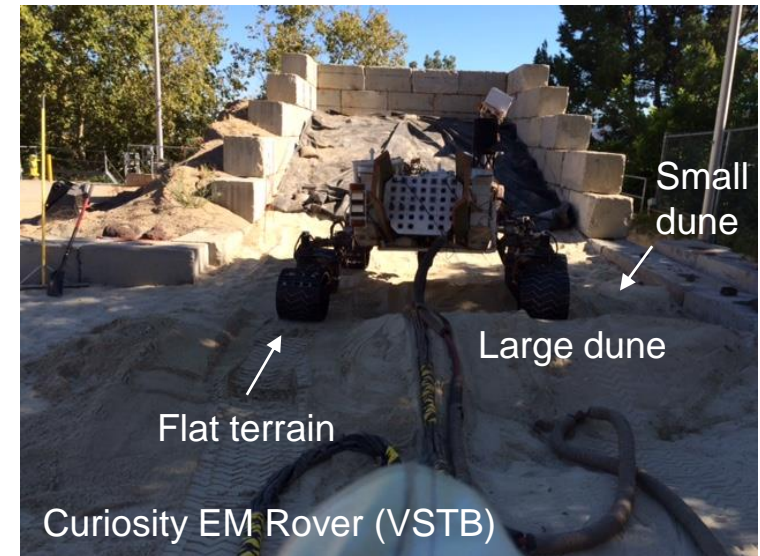
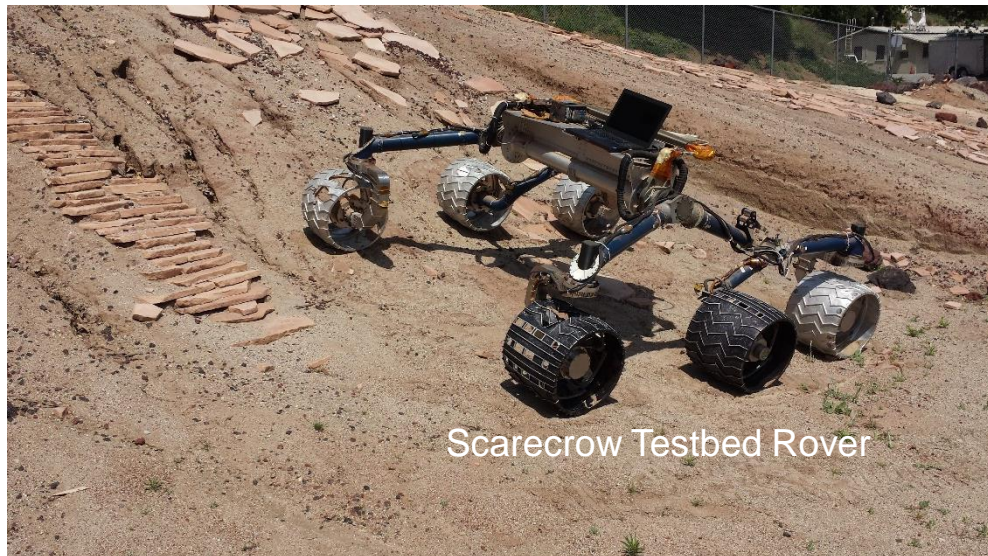
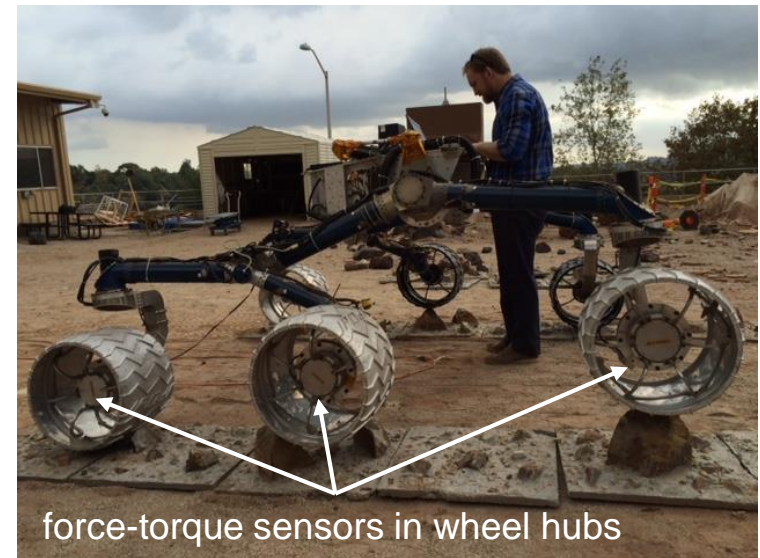
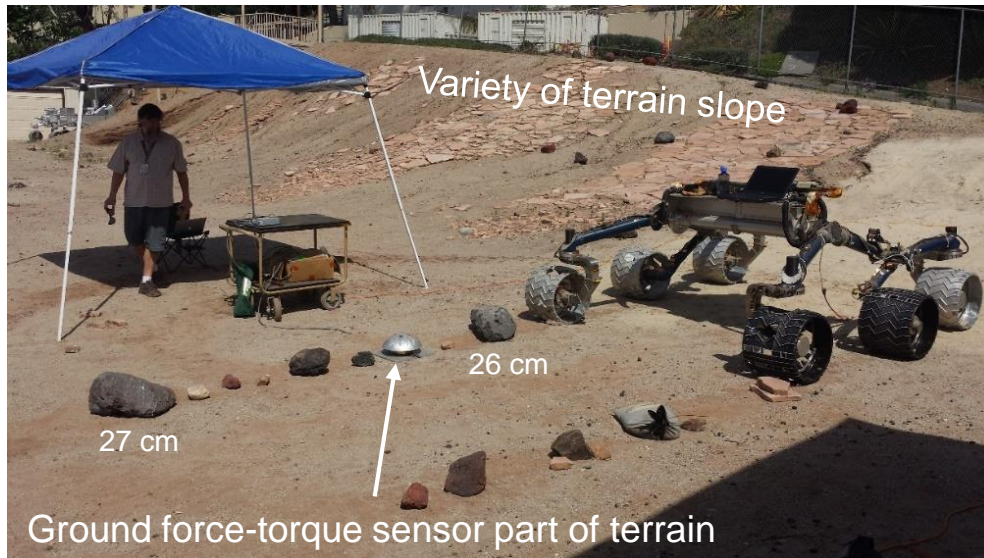


# Performance in Test: JPL Mars Yard



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California Institute of Technology

## Traction Control





# Performance in Test: Illustration of Slip Reduction



Jet Propulsion Laboratory  
California Institute of Technology

Traction Control

## TRCTL disabled

- All wheels commanded the same angular rate
- Note LF wheel slip
- Loading on LM wheel increased by LF wheel pulling it into the rock and LR pushing it into the rock



## TRCTL enabled

- LM is commanded the max angular rate; other wheels are slowed down
- Reduces LF and LR slip and loading on the LM

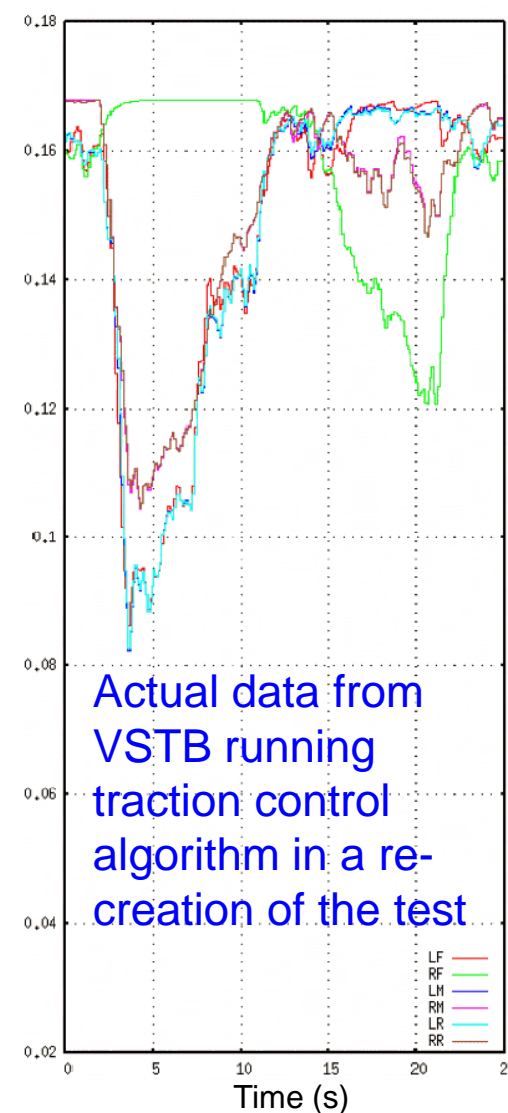
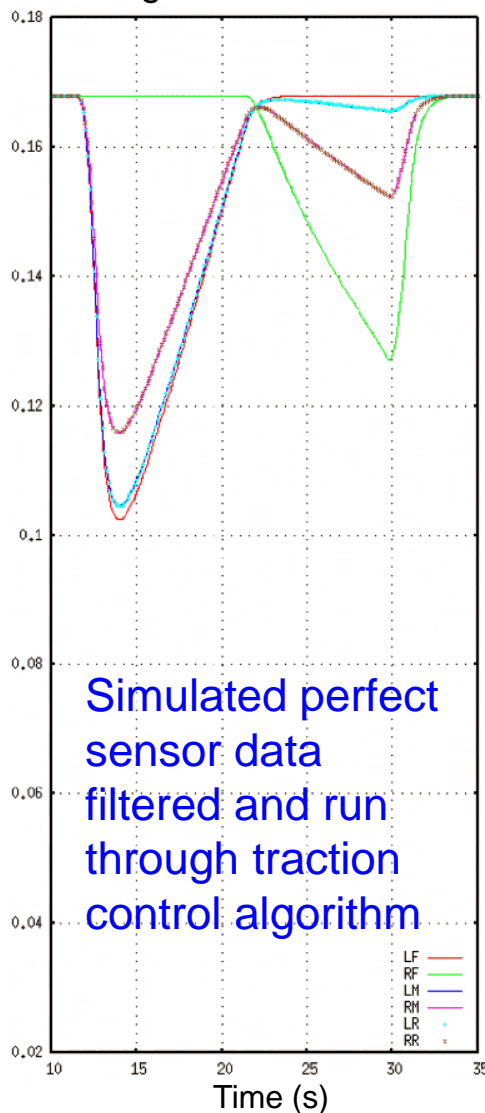
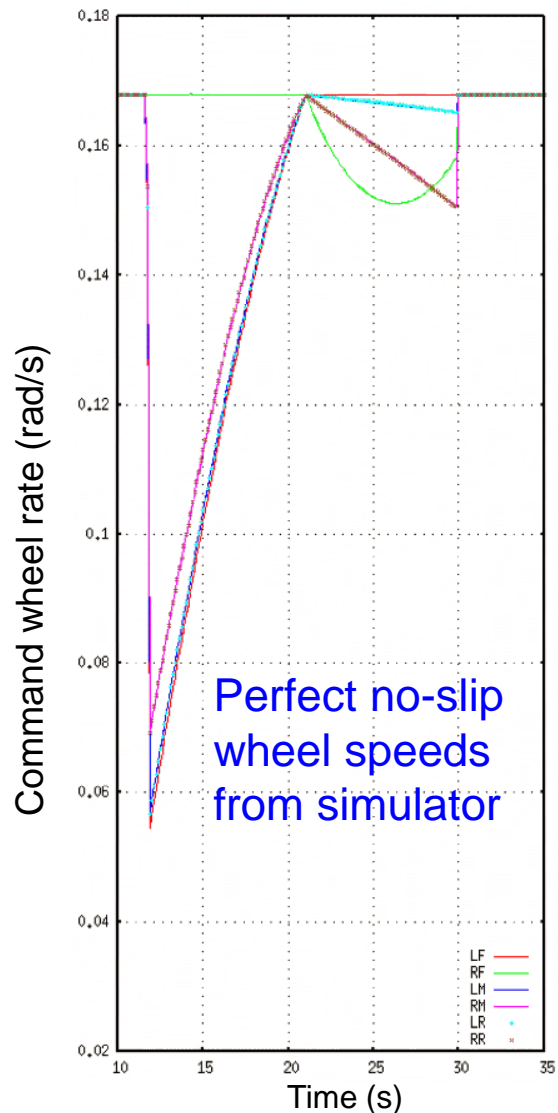
# Performance in Test: Wheel Rate Commands



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Traction Control

Forward straight arc with RF wheel over dome



# Performance in Test: Representative Results



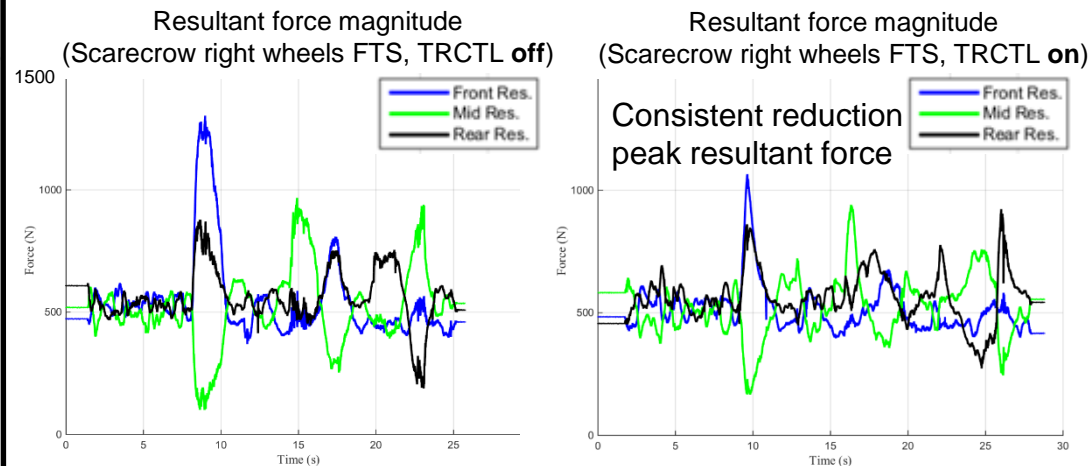
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Traction Control

## VSTB fwd and bwd over the dome

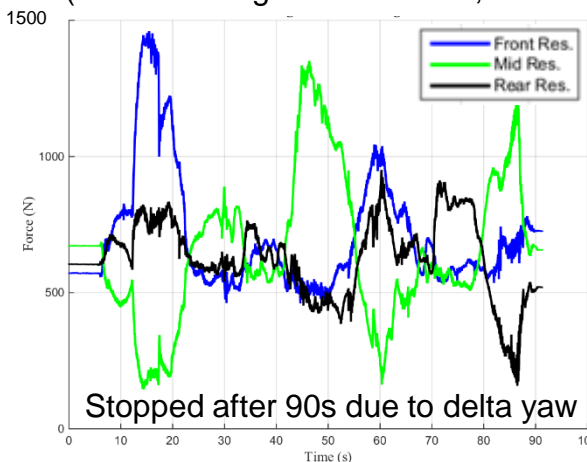


## Scarecrow over the dome

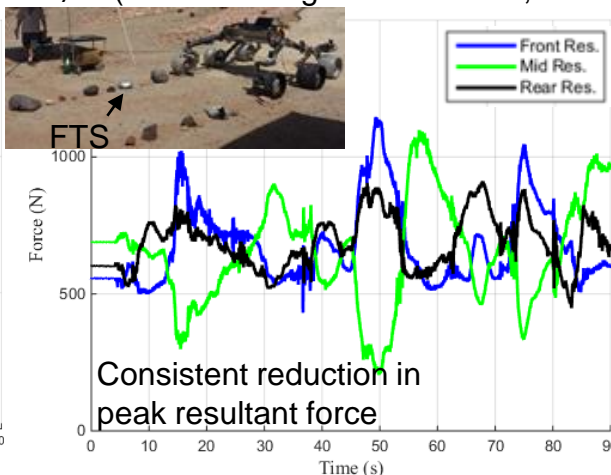


## Scarecrow over complex terrain

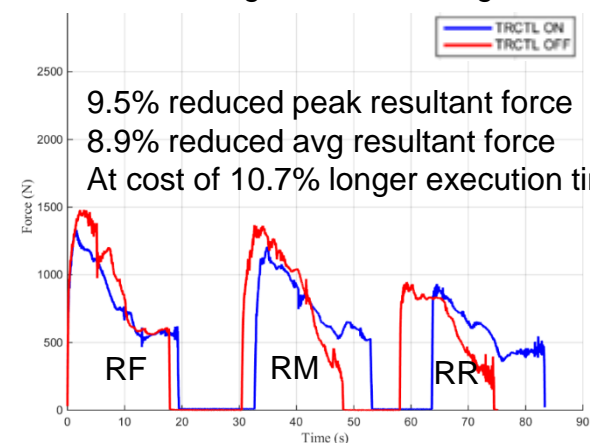
**Resultant force magnitude (Scarecrow right wheels FTS, TRCTL off)**



**Resultant force magnitude (Scarecrow right wheels FTS, TRCTL on)**



**Resultant force magnitude Scarecrow right wheels over ground FTS**





# Performance in Test: Illustration of Wheelie Suppression



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Traction Control

- Repeatabable mid-wheel “wheelie” was observed on dense, embedded-rock terrain when TRCTL was enabled
  - Mid wheel crests a rock
  - Rear wheel on flat terrain
  - Descending front wheel pushes against an embedded rock
  - Mid wheel continues to climb
- Mid and rear wheel “wheelie” detection/suppression code was implemented
  - Threshold wheel current, bogie angle, and bogie angle rate
  - If mid wheel “wheelie” is detected, slow down rear wheel
  - If rear wheel “wheelie” is detected, slow down mid wheel




Symmetric track constructed with cement tiles containing  $\leq 20\text{cm}$  tall embedded rocks

# Integration into Mission Operations



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Traction Control

Date	Milestone
Oct 2013	MAHLI images revealed unexpected high wheel damage rate. Wheel wear tiger team was assembled.
Jan 2015	A full flight software update (release R12) was deployed on Curiosity. It included software hooks to simplify later integration of TRCTL (command to enable/disable, parameter fields, telemetry fields, function pointer to evaluate drive rates at 8Hz)
Spring 2014 -	 <p>Algorithm development      testing</p>
Aug 2016	TRCTL software was compiled as a single object file
Sep 2016	Validation and Verification testing in JPL Mars Yard on the VSTB
Mar 2017	Software Review Certification Record (SRCR) Review
Mar 2017 -	Three checkout tests were performed on Mars (Sol 1644: Upload TRCTL hot patch and save parameters to NVM, Sol 1646: 5m drive with TRCTL enabled, Sol 1662: 20m drive with TRCTL enabled)
Apr 2017	Checkout Test Review. TRCTL was approved for nominal use on Mars starting Sol 1678

# Performance in Flight



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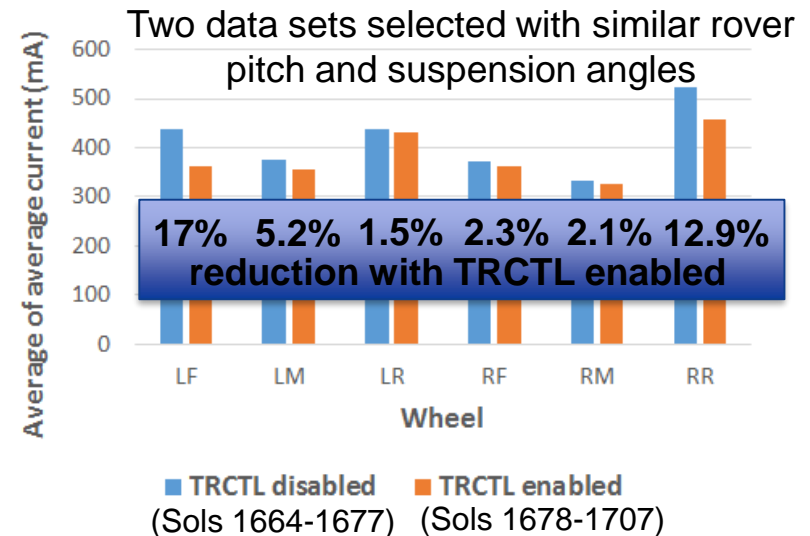
Traction Control

Number of sols TRCTL has been used (as of 12/04/2017)	80*
Total TRCTL odometry	1,693.0 m
Non-TRCTL odometry since TRCTL was approved	17.5 m**
Number of drives that stopped early due to TRCTL timeout	1
Avg compressed Mob data product size w/ TRCTL enabled	1.98x (1.90x modeled)
Avg traverse rate reduction	13.8% (15% modeled)

	1km before Sol 1678 (42.61m elev increase)^	1km after Sol 1678 (69.49m elev increase)^^
Mean of max current for each drive step	368mA	345mA (6.3%)
Mean of mean current for each drive step	350mA	321mA (8.3%)

**^Excluded currents during TRCTL checkout (25m)**

**^^1.7x higher average terrain upslope**



**\*Includes two checkout tests (Sols 1646 and 1662)**

**\*\*Four FMWI (5m), 1<sup>st</sup> 2.5m recovering from Sol 1787 fault, 10m leg on Sol 1800, 7cm step on Sol 1846**



- Lessons learned during development
  - Performance is degraded by noisy measurements, backlash in suspension joints, etc
  - Testing on rough, high-friction terrain motivated an algorithm extension to detect and correct bogie wheelies
  - Compromised performance for robustness
- Flight Performance
  - Average reduction of mean wheel current per drive of 8.3%\*
  - Average reduction of max wheel current per drive of 6.3%\*
  - In a comparison of two drive data sets on similar terrain:
    - average reduction in wheel currents of 10% for the front wheels and 7% for the rear wheels
    - Average reduction of maximum rover slip per drive of 2.1%
  - Benefits of reduced forces on the wheels outweigh the costs (11.2% longer traverse time and 1.91x larger motion history recorded data)

\*Comparing 1km before and after nominal use of TRCTL for all 6 wheels

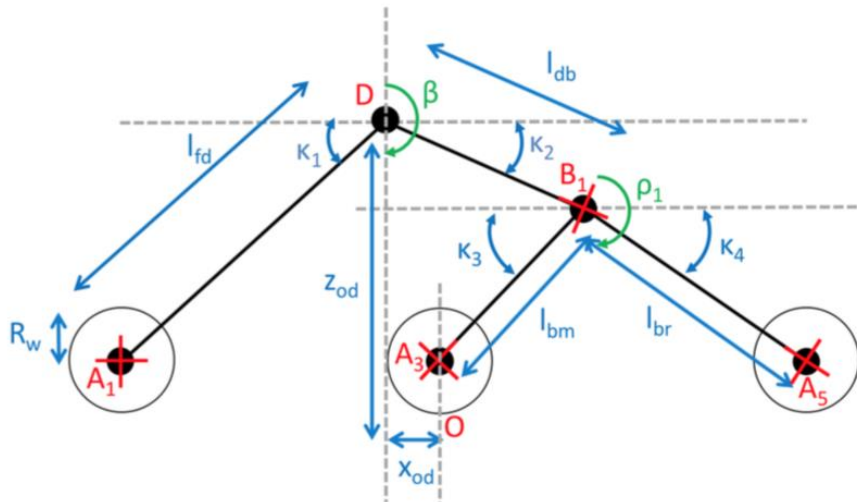
- Possible use of camera under rover's belly to better estimate rover body velocity
- Incorporate torque feedback into wheel speed commanding to better achieve desired torque at each wheel as a function of contact angle
- Future rover missions are considering TRCTL use to benefit from the reduced yaw error and slip



# Backup



- For two points A & B on the same rigid body:
  - $\mathbf{F}_V_A = \mathbf{F}_V_B + \mathbf{F}\omega_{bd} \times \mathbf{FBA} \quad (1)$
  - Where  $\omega_{bd}$  is the angular velocity vector of the rigid body relative to the inertial frame, and F is any Cartesian frame



rk<sub>1</sub>: left rocker, rk<sub>2</sub>: right rocker  
 bg<sub>1</sub>: left bogie, bg<sub>2</sub>: right bogie  
 bd: rover body frame  
 O: rover origin (RNAV)  
 D: differential joint  
 B<sub>1,2</sub>: left/right bogie joint  
 A<sub>i</sub>: center of wheel i

- By applying this equation to each linkage:  $O \rightarrow D \Rightarrow B_{1,2} \rightarrow A_{3,4,5,6}$ 
  - ${}^{bd}\mathbf{v}_O = [\dot{x}_{dot} \ \dot{y}_{dot} \ \dot{z}_{dot}]$
  - ${}^{bd}\mathbf{v}_D = {}^{bd}\mathbf{v}_O + {}^{bd}\omega_{bd} \times {}^{bd}\mathbf{OD}$
  - ${}^{bd}\mathbf{v}_{A_{1,2}} = {}^{bd}\mathbf{v}_D + {}^{bd}\omega_{rk1,2} \times {}^{bd}\mathbf{DA}_{1,2}$
  - ${}^{bd}\mathbf{v}_{B_{1,2}} = {}^{bd}\mathbf{v}_D + {}^{bd}\omega_{rk1,2} \times {}^{bd}\mathbf{DB}_{1,2}$
  - ${}^{bd}\mathbf{v}_{A_{3,4,5,6}} = {}^{bd}\mathbf{v}_{B_{1,2}} + {}^{bd}\omega_{bg1,2} \times {}^{bd}\mathbf{B}_{1,2}A_{3,4,5,6}$

(2)

**We can relate the wheels linear velocities to the rover origin's linear velocity, the attitude and suspension rates, and the rover geometry**

- To compute the wheels' angular rates, we need to compute the wheels' linear velocities in the contact angle frame:

- ${}^{bd}v_O = [x_{dot} \ 0 \ z_{dot}]$
- ${}^{bd}v_D = {}^{bd}v_O + {}^{bd}\omega_{bd} \times {}^{bd}OD$
- $\eta_1 v_{A_1} = \eta_1 R_{bd} \times ({}^{bd}v_D + {}^{bd}\omega_{rk1} \times {}^{bd}DA_1) = [R_w \theta_{dot\_1} \ ? \ 0]$
- $\eta_2 v_{A_2} = \eta_2 R_{bd} \times ({}^{bd}v_D + {}^{bd}\omega_{rk2} \times {}^{bd}DA_2) = [R_w \theta_{dot\_2} \ ? \ 0]$
- ${}^{bd}v_{B_1} = {}^{bd}v_D + {}^{bd}\omega_{rk1} \times {}^{bd}DB_1$
- ${}^{bd}v_{B_2} = {}^{bd}v_D + {}^{bd}\omega_{rk2} \times {}^{bd}DB_2$
- $\eta_3 v_{A_3} = \eta_3 R_{bd} \times ({}^{bd}v_{B_1} + {}^{bd}\omega_{bg1} \times {}^{bd}B_1A_3) = [R_w \theta_{dot\_3} \ ? \ 0]$
- $\eta_4 v_{A_4} = \eta_4 R_{bd} \times ({}^{bd}v_{B_2} + {}^{bd}\omega_{bg2} \times {}^{bd}B_2A_4) = [R_w \theta_{dot\_4} \ ? \ 0]$
- $\eta_5 v_{A_5} = \eta_5 R_{bd} \times ({}^{bd}v_{B_1} + {}^{bd}\omega_{bg1} \times {}^{bd}B_1A_5) = [R_w \theta_{dot\_5} \ ? \ 0]$
- $\eta_6 v_{A_6} = \eta_6 R_{bd} \times ({}^{bd}v_{B_2} + {}^{bd}\omega_{bg2} \times {}^{bd}B_2A_6) = [R_w \theta_{dot\_6} \ ? \ 0]$

Wheels can slip laterally some unknown amount due to imperfect steering when turning on non-flat terrain

- This gives us 2 equations per wheel:

- the x component gives us the wheel rate:

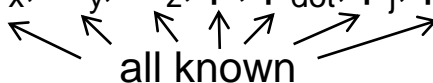
$$\theta_{dot\_i} = f(x_{dot}, z_{dot}, \omega_x, \omega_y, \omega_z, \beta, \beta_{dot}, \rho_j, \rho_{dot\_j}, \eta_i) \quad (3)$$

attitude rates    rocker angle    bogie angle    contact angle

- the z component gives us an extra relationship:

$$g(x_{dot}, z_{dot}, \omega_x, \omega_y, \omega_z, \beta, \beta_{dot}, \rho_j, \rho_{dot\_j}, \eta_i) = 0 \quad (4)$$

- What are the unknowns?
  - $\dot{x}_{dot}, \dot{z}_{dot}$ : linear velocity of rover origin ( $\dot{y}_{dot}=0$ : no lateral move on purpose)
  - $\eta_i$ : the contact angle of each wheel
- The contact angles can be estimated separately
  - Option 1: use the kinematic equation (1) for chosen pairs of wheels to extract the contact angles based on the measured wheel rates\*
    - More accurate estimates but makes input dependent on output
    - Not robust to measurement errors (e.g. wheel slip)
  - Option 2: compute the CAEs based on the planar rover linear velocity:
 
$$\eta_i = \text{atan}(-{}^{w_i}v_{A_i}^z / {}^{w_i}v_{A_i}^x) \quad (5)$$
 with  ${}^{w_i}v_{A_i} = {}^{w_i}R_{bd} {}^{bd}v_{A_i}$  the wheel velocity in the wheel frame, and  ${}^{bd}v_{A_i}$  computed from (2) using the planar rover linear velocity
- Now we can compute the ideal wheel rates  $\theta_{dot\_i}$  to achieve a desired  $\dot{x}_{dot}$ :
  - a) Use equation (5) to substitute  $\eta_i$  in equations (3) and (4)
  - b) Use equation (4) to get  $\dot{z}_{dot} = h(\dot{x}_{dot}, \omega_x, \omega_y, \omega_z, \beta, \beta_{dot}, \rho_j, \rho_{dot\_j}) \quad (6)$
  - c) Use (6) to substitute  $\dot{z}_{dot}$  in equation (3) and get:
 
$$\theta_{dot\_i} = f(\dot{x}_{dot}, \omega_x, \omega_y, \omega_z, \beta, \beta_{dot}, \rho_j, \rho_{dot\_j}) \quad (7)$$



all known

\* K. Iagnemma, S. Dubowsky "Vehicle Wheel-Ground Contact Angle Estimation: With Application To Mobile Robot Traction Control", © 2018 California Institute of Technology. Proceedings Int'l. Symposium Advances in Robot Kinematics, 2009. Government sponsorship acknowledged.



- In reality we don't command the rover by specifying a desired  $\dot{x}$  but by turning the wheels as fast as possible, up to their limit  $\dot{\theta}_{\max}$
- To achieve this we proceed as follows:
  - a) Compute  $\dot{x}$  for each wheel using equation (7) with  $\dot{\theta} = \dot{\theta}_{\max}$
  - b) Find the wheel that achieves the min  $\dot{x}$ : this is the limiting wheel
  - c) Set  $\dot{x}$  to the value obtained for that wheel in step a)
- Also note that we don't use the measured  $\omega_z$  but rather set it to its desired value for the arc:
  - $\omega_z = 0$  for straight arcs (no yawing desired)
  - $\omega_z = \dot{x} / r$ , where  $r$  is the turn radius for curved arcs
- We use the measured values for the attitude and suspension rates, which assumes those vary slowly relative to the controller frequency